COMPUTATIONALLY EFFICIENT SAFE REINFORCEMENT LEARNING FOR POWER SYSTEMS

Motivation





Power systems are transitioning from synchronous generator-based to inverter-based.

- More flexibility, less inherent stability
- Enables and necessitates new control techniques
- \succ Increasing complexity \rightarrow difficult to derive good policy
- Reinforcement learning (RL) can generate effective policies from data
- > However, it is difficult to enforce **safety constraints** on learned polices
- or during training



Power system stability requires balancing power supply with power demand [1].

- Power imbalance causes frequency deviations
- Frequency deviations can lead to loss of stability or tripping of protective equipment
- > Challenges: fluctuating input from renewable energy sources, hard limits on frequency deviations, actuation constraints, nonlinearities, computational power
- > Opportunities: flexible energy input from inverter-based resources

Set-theoretic control



We use set-theoretic control techniques [2] to ensure that a policy trained using deep RL guarantees constraint satisfaction.

- > Dynamics: $x_{t+1} = Ax_t + Bu_t + Ed_t$
- \succ Constraints: $x_t \in X, u_t \in U$ (X, U compact polytopes)
- > Unknown-but-bounded disturbances/nonlinearities: $d_t \in D$
- ▶ Robust control invariant set: $S = \{x \in X : \exists u \in U \mid Ax + Bu + Ed \in S, \forall d \in D\}$ Safe action set: $\Omega(x) = \{u \in U : Ax + Bu + Ed \in S, \forall d \in D\}$
- Goal: constrain policy to safe action set without solving projection (too slow)

ELECTRICAL & COMPUTER ENGINEERING

UNIVERSITY of WASHINGTON

STUDENTS: DANIEL TABAS

Safety filter $\Psi_{ heta}(x_t)$ \mathbb{B}_{∞} \succ We establish equivalence of any two convex, compact sets by constructing a closed-form, differentiable bijection between them \succ We use this bijection to equate the unit hypercube B_{∞} with the safe action set $\Omega(x_t)$ \succ It is easy to constrain the output of a neural network to B_{∞} using tanh activation functions > We train the neural network using standard policy gradient algorithms **Policy network** Kx_t $\pi_{\theta}(x_t)$ The structure of the policy comprises: \succ Kx_t , a safe linear feedback used for numerical stability $\succ \Omega(x_t)$, the set of safe actions from state x_t $\succ \psi_{\theta}(x_t)$, a feedforward neural network with parameter θ and tanh activation functions in the output layer \succ A closed-form, differentiable gauge map that takes the outputs of ψ_{θ} and maps them one-to-one to elements of $\Omega(x_t)$

Test system



ADVISORS: BAOSEN ZHANG

SPONSORS: NATIONAL SCIENCE FOUNDATION





The test system is a 9-bus power system with 3 synchronous (δ_2, ω_2) generators, 3 uncertain loads, and 3 controllable energy storage systems. The power system dynamics are modeled using the linearized swing equations and DC power flow equations. At each time step, the stage cost is given

$$l(x_t, u_t) = ||x_t||^2 + ||u_t||^2.$$





Time (sec)

Future work:

- Investigate robustnes of learned policies to topology changes
- \succ Apply the technique other problems in power systems contr and optimization
- Investigate multi-age setting



Results

Compared performance of our method to a policy network trained with a soft penalty on constraint violations. Our proposed method demonstrated:

No constraint violations throughout training Constraint satisfaction during testing



Throughout training, the proposed safe RL policy avoids constraint violations by keeping the rotor angle deviations of all generators below their allowed limits. The baseline policy trained using a constraint violation penalty only learns to satisfy the constraints in the long run.



Since the safe RL policy inherits the safety guarantees from a safe linear feedback controller, we compared the costs accumulated along a trajectory to show that the flexibility of the RL policy enables lower operating costs.

Future Work, References, and Acknowledgments

ess o to	 References: [1] J. Machowski, J. W. Bialek, and J. R. Bumby, <i>Power System Dynamics:</i> <i>Stability and Control</i>, 2nd ed. Wiley, 2008. [2] F. Blanchini and S. Miani, <i>Set-theoretic methods in control</i>. Birkhauser, 2015
	2013.
ent	This work is partially supported by the National Science Foundation Graduate Research Fellowship Program under Grant No. DGE-1762114 and NSF grant ECCS-1930605. Any opinions, findings, conclusions, or recommendations expressed in this material are those of the authors and do not

necessarily reflect the views of the National Science

Foundation.